# T M D distributions in hadronic collisions: $p^{\uparrow}p ightarrow D + X$ and $p^{\uparrow}p ightarrow \gamma + X$

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### Outline

1.  $A^{\uparrow}B \to C + X$ 

TMD's + helicity formalism in SSA  $\Rightarrow$ 

many effects at work: role of phases and kinematics;

- 2.  $p^{\uparrow}p \rightarrow D + X$  high vs. moderate  $\sqrt{s}$ RHIC: gluon Sivers function J-PARC and PAX  $(p^{\uparrow}\bar{p})$ : quark Sivers function
- 3.  $p^{\uparrow}p \rightarrow \gamma + X$  high vs. moderate  $\sqrt{s}$ RHIC: gluon Sivers function J-PARC and PAX  $(p^{\uparrow}\bar{p})$ : quark Sivers function, transversity

Conclusions and outlook

Polarized cross sections: Helicity formalism with  $k_{\perp}$ 

For the inclusive process  $A(S_A) B \to C + X$  in a generalized factorization scheme with inclusion of  $k_{\perp}$ :

$$d\sigma^{A,S_{A}+B\to C+X} = \sum_{a,b,c,d,\{\lambda\}} \rho_{\lambda_{a},\lambda_{a}'}^{a/A,S_{A}} \hat{f}_{a/A,S_{A}}(x_{a},\boldsymbol{k}_{\perp a}) \otimes \rho_{\lambda_{b},\lambda_{b}'}^{b/B} \hat{f}_{b/B}(x_{b},\boldsymbol{k}_{\perp b})$$
$$\otimes \quad \hat{M}_{\lambda_{c},\lambda_{d}};\lambda_{a},\lambda_{b}} \quad \hat{M}^{*}_{\lambda_{c}',\lambda_{d}};\lambda_{a}',\lambda_{b}'} \otimes \hat{D}^{\lambda_{C},\lambda_{C}}_{\lambda_{c},\lambda_{c}'}(z,\boldsymbol{k}_{\perp C})$$

•  $\rho_{\lambda_a,\lambda'_a}^{a/A,S_A}$ : helicity density matrix of parton a inside hadron A with spin  $S_A$ •  $\frac{d\hat{\sigma}^{ab \to cd}}{d\hat{t}} \simeq \sum_{\lambda_a,\lambda_b,\lambda_c,\lambda_d} |\hat{M}_{\lambda_c,\lambda_d;\lambda_a,\lambda_b}|^2$  (scattering amplitudes) •  $\hat{D}_{\lambda_c,\lambda'_c}^{\lambda_C,\lambda'_C}$  generalized ff  $\Rightarrow D_{C/c}(z, \mathbf{k}_{\perp C}) = 1/2 \sum_{\lambda_C,\lambda_c} \hat{D}_{\lambda_c,\lambda_c}^{\lambda_C,\lambda_C}$  -  $\rho_{\lambda_a,\lambda'_a}^{a/A,S_A} \hat{f}_{a/A,S_A}(x_a, \mathbf{k}_{\perp a})$  gives the 8 twist-2 spin and TMD distributions. By summing over  $\{\lambda\}$ : many effects (from the soft parts) appear together: Sivers, Collins( $\otimes h_1$ ), Boer-Mulders( $\otimes h_1$ ), linear gluon polarizations... Hard (if not impossible) extraction !... But



Whereas the hadronic process  $(A, S_A) + B \rightarrow C + X$ takes place in the (XZ) plane, the partonic sub-processes (soft and hard) are not planar any more  $(\mathbf{k}_{\perp a}, \mathbf{k}_{\perp b}, \mathbf{k}_{\perp C})$  $\Rightarrow$  partonic azimuthal phases - Each mechanism (or combination of mechanisms) appear with a specific azimuthal dependence and must be integrated over the partonic phase space and over some specific experimental region.

It has been shown that in  $p^{\uparrow}p \to \pi X$  ( $A_N$  at large  $x_F$ ):

- Sivers effect alone allows a good description of E704 (and STAR) data;

- Collins effect is suppressed and not able alone to describe E704 data (preventing also the access to the transversity distribution);

- all other effects are negligible.

UD, Murgia '04, Anselmino, Boglione, UD, Leader, Melis, Murgia '05, '06.

Strategy to access different mechanisms in pp collisions:

- choice of the final state (selection of partonic channels)
- choice of kinematics to control the role of the azimuthal phases

Exercise:

study of maximized  $A_N$  by using (trivial positivity bounds):  $\Delta^N f(x, k_\perp) = (2)f(x, k_\perp)$  $\Delta^N D(z, k_\perp) = (2)D(z, k_\perp)$ 

Two examples: heavy meson and direct photon production.

## $p^\uparrow p o DX$

RHIC:  $\sqrt{s} = 200 \text{ GeV}$ 

- unpolarized cross-sections:

 $q\bar{q} \rightarrow c\bar{c}$  ( $\hat{s}$ -channel) +  $gg \rightarrow c\bar{c}$  (dominant: up to 10 times)

 $A_N$  contains various spin-TMD contributions:

- $M_{++;+-} \neq 0$ : heavy quark mass!
- NO  $h_1 \otimes f_{b/p} \otimes \Delta \hat{D}_{D/c^{\uparrow}}$  ( $h_{1g} = 0$  and no  $\perp$  spin transfer in  $\hat{s}$  channel);
- proper phases: integration washes out all terms other than the Sivers effect

Anselmino, Boglione, UD, Leader, Murgia '04.



Maximized  $A_N(D)$  at RHIC,  $\sqrt{s} = 200$  GeV for various pseudo-rapidities. Sivers effect, saturated: g (thick lines), q (thin lines).

Access to the gluon Sivers function.

What happens at lower energies?

- in 
$$p^{\uparrow}p \rightarrow DX$$
 at J-PARC ( $\sqrt{s} = 10 \text{ GeV}$ )  
- in  $p^{\uparrow}\bar{p} \rightarrow DX$  at PAX ( $\sqrt{s} = 14 \text{ GeV}$ )

In both cases we probe larger x values (at  $x_F > 0$ ). In the second case  $(\bar{p})$  we enhance the  $q\bar{q} \rightarrow c\bar{c}$  subprocess.

Low energies implies enhanced threshold effects, resummation... expected (likely true) to be less important in  $A_N$  (ratio of cross-sections).



# $p^{\uparrow}p o \gamma X$ : high vs. moderate energies, $p^{\uparrow}p$ vs. $p^{\uparrow}ar{p}$

- 2 elementary processes:  $qg \rightarrow \gamma q$  and  $q\bar{q} \rightarrow \gamma g$ 

- only Sivers effect in qg (no transverse spin transfer);

 $\Delta \hat{f}_{q/A^{\uparrow}}\otimes \hat{f}_{g/B} \qquad \Delta \hat{f}_{g/A^{\uparrow}}\otimes \hat{f}_{q/B}$ 

- Sivers effect and transversity  $\otimes$  Boer-Mulders in  $q\bar{q}$ :  $\Delta \hat{f}_{q/A^{\uparrow}} \otimes \hat{f}_{\bar{q}/B} \qquad \Delta \hat{f}_{q^{\uparrow}/A^{\uparrow}} \otimes \Delta \hat{f}_{\bar{q}^{\uparrow}/B}$ 

- coupling to  $\gamma \Rightarrow \sum_{q} e_q^2 ... : u$  flavour dominance

Which mechanisms are really active and where?







#### Conclusions

- 1. Generalized  $k_{\perp}$  factorization scheme within the helicity formalism for one-particle inclusive pp collisions;
- 2. role and relevance of the azimuthal phases: suppression of the Collins effect in  $p^{\uparrow}p \rightarrow \pi X$ ;
- 3.  $p^{\uparrow}p \rightarrow CX$ : choice of *C* to select partonic channels
  - high vs. moderate energies
  - kinematics (forward/backward rapidities)
  - crucial interplay of the azimuthal phases
- 4.  $p^{\uparrow}p \rightarrow D + X$ : access to quark (low  $\sqrt{s}$ ) / gluon (high  $\sqrt{s}$ ) Sivers TMD;  $p^{\uparrow}p \rightarrow \gamma + X$ : access to quark (low  $\sqrt{s}$ ) / gluon (high  $\sqrt{s}$ ) Sivers TMD;  $p^{\uparrow}\bar{p} \rightarrow \gamma + X$ : (low  $\sqrt{s}$ ) access to the transversity distribution.

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